

coefficient.

# A Comparative Theoretical-Experimental Analysis of a Video Reflectometry Setup

# ABSTRACT



Video Reflectometry is a relatively simple technique to determine of the optical properties of biological tissues. The video image captures the spatially resolved diffuse reflectance, Rd(r), generated by a narrow light beam normally incident on the surface of the tissue. The video system uses a CCD camera in combination with optical density filters that allows recording of the reflectance signal over a large dynamic range. In this paper, we describe the theoretical framework for evaluating experimental measurements using Monte Carlo simulations. The influence of various factors on the derived optical properties is presented. The specific factors explored are (1) mis-focusing of the camera on the surface, (2) tilting of incident beam, (3) finite beam diameter. Finally, we present experimental results of the performance of the system on using Teflon disks as optical standards

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Introduction

### Video reflectometry

diffusion approximation. In this model, the tissue

must be much greater than the absorption

In this work Is a technique to obtain information of the optical Current investigation involved studying the parameters (OP) of biological tissues from the influence of various factors on the radially  $\frac{1}{2}$ study of the radial distribution of the light in resolved diffuse reflectance curve and the combination with the use the dipole model implications of these results for the derived proposed by Farrell et al. [3] based on the optical properties.

 The performance of the system on using Teflon must be considered homogeneous and semi- disks as optical standards for to calibrate our infinite, and the reduced scattering coefficient set-up.

In this study the radially resolved diffuse

reflectance was simulated for a tilting of 5°

The radial reflectance profiles from

experiment and Farrell model are not on the

same scale. A reference sample of TEFLON was chosen as optical standard to calibrate

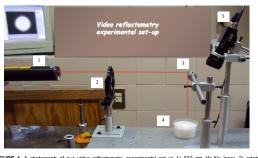
the experimental sep-up. The scaling factor was determined using a least-squares ftting

procedure from a specified radial distance r<sub>0</sub>

of incident beam, by the equation (1).

- Teflon disks as optical standards

Materials & Methods





## 2.1 Mis-focusing of the camera on the surface

A liquid phantom of 20 ml of Lipofundin-10% [8] was deposited into one plastic container, and the distilled water was added until the mixture was leveled up to 112 ml. The phantom was placed over a mounting platform (THORLABS LJ750). The focusing lens was tuned onto the sample surface until the best image was observed on the screen of the PC. Under this focusing conditions the height of the platform was considered as a reference plane, and the images were recorded in this position. Then the position of the phantoms surface was incremented 1.0 mm or decremented 1.0 mm with respect to the reference, taking the correspondent images for each these positions.

# 2.2 Tilting of incident beam

The fundamental difference between normal and oblique incidence is a shift in the positions of the point sources in the x direction (Fig. 2). The modified dipole source diffusion theory model gives the diffuse reflectance [ wang]:

$$Rd(r) = a'(1-Rs)\frac{1}{4\pi} \left[\frac{z_0 \cos \alpha_i \left(1+\mu_{eff} \rho_1\right) e^{-\mu_{eff} \rho_1}}{\rho_1^3} + \frac{(z_0 \cos \alpha_i + 4AD)(1+\mu_{eff} \rho_2) e^{-\mu_{eff} \rho_2}}{\rho_2^3}\right]$$
(1)

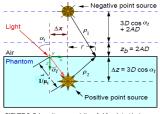


FIGURE 2. Schematic representation of obliquely inciden light.Taken from the G. Marquez and L. Wang (1997)

#### 2.3 Finite beam diameter

Our light source is a HE-Ne laser (JDSU, 1144P) which beam diameter is 0.7 mm. A typical He-Ne laser operating in TEM<sub>on</sub> mode has a Gaussian profile, which beam diameter is defined as the diameter where the beam's intensity has decreased to 1/e2 or 13.5% of its value maximum. In this study the spatially resolved reflectance profiles were obtained for an infinitely small beam and Gaussian beam with diameter o=1 mm through Monte Carlo (MC) simulations .

# References

[1] Farrell, T. J., M. S. Patterson, and B. C. Wilson, "A diffusion theory model of spatially resolved, steady-state diffuse reflectance for use one-measure determination of issue optical properties in *investment* (19, 19, 879-888 (1992)). [2] Press, WH, Teukolsky, SA, Veterling, WT, Flannery, and B. C. Wilson, "Numerical recipes in C. The art of scientific computing" *Med. Phys.* 19, 879-888 (1992).

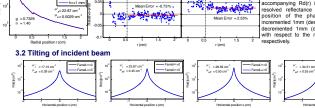
· We investigated the inverse problem in diffuse reflectance spectroscopy based on the a combination of a simplified diffusion approximation model of human skin and a fiber optic probe configuration with the well known non-linear fitting algorithm of Levenberg-Marquardt • It has been shown that our extraction program, based on DA and a non-linear LS fitting method, can be used to recover

physiological parameters with accuracy within 5% for fbl, As and S. However recovery error values for fw are above14% when the synthetic spectra are noise free

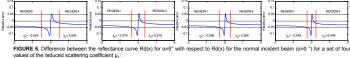
· Retrieval errors for fw can be minimized using physiological information of this parameter

3.1 Mis-focusing of the camera on the surface

Results and Discussions



Emor b-1mm



3.3 Finite beam diameter

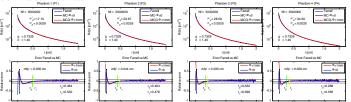
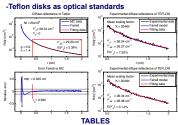


FIGURE 6. Comparison of radially res simulated with Monte Carlo. It shows figure for each phantoms (P1-P4). ed reflectance obtained by Farrell diffusion model, infinitely small beam, and Gaussian beam with \$=1mm, both e relative error of Farrell with respect to Monte Carlo simulations. The optical properties are shown inside the



1. Extracted Optical Properties (OP) from fitting the Farrell model to Table simulated data with the modified dipole source diffusion theory, for the tilting  $(5^{\circ})$  of incident beam, in two spacial regions (as shown in figure 5).

	Extracted OF (cm <sup>-</sup> )					ERROR (76)							
REGION I		REG	ION II	REGION I				REGION II					
μ,	Het	μ,	µ <sub>ef</sub>	$E(\mu_t')$	E(µ <sub>ett</sub> )	μ,	E(µ <sub>a</sub> )	E(µ,')	E(µ <sub>eff</sub> )	μ,	$E(\mu_a)$		
			0.3839			0.0020			1.56	0.0028	3.45		
			0.4459		9.16	0.0023	20.69	2.93	0.91	0.0028	3.45		
30.22	0.4699	29.47	0.4950	5.7	6.02	0.0024	17.24	3.08	1.00	0.0028	3.45		
36.12	0.5223	35.41	0.5360	5.28	5.04	0.0025	13.79	3.21	2.55	0.0027	6.90		

le 2. Extracted Optical Properties from fitting the Farrell model to Monte to data for the finite beam diameter (Gaussian beam) and infinitely

	Extracted Optical Properties (cm <sup>-1</sup> )					ERROR (%)									
	Infinitely small beam			ussian eam	Infinitely small beam		Gaussian beam with diameter ¢=1mm								
	μ,	μ <sub>eff</sub>	μ,	μ <sub>eff</sub>	Εµ,	Eμ <sub>eff</sub>	μ"	Eμ <sub>a</sub>	Eμ,	Eμ <sub>eff</sub>	μ"	Εµ,			
P1	17.25	0.4264	17.24	0.4322	0.58	9.33	0.0035	16.67	0.52	10.82	0.0036	20.00			
P2	23.21	0.4694	23.03	0.492	1.49	4.31	0.0032	6.67	0.70	9.33	0.0035	16.67			
P3	28.95	0.5399	28.67	0.5537	1.26	7.98	0.0034	13.33	0.28	10.74	0.0036	20.00			

P4 34.63 0.5886 34.59 0.5887 0.93 7.02 0.0033 10.00 0.82 7.04 0.0033 10.00

## Conclusions

tespect to worke can batta so data so data to can be achieved to worke can be achieved to worke can be achieved by the maximum value at a radial distance equal to transport scattering mean free path (mfp) of tissue. The right figures are the results from fitting the Farrell model to the experimental reflectance data of TEFLON from the radial position 0.494 cm. We only show two of the ten measurements realized (see table 3), the worst and best, the mean respectively. The extracted optical parameter,  $\mu_{sE}$ ', the mean scaling factor  $K_{A}$ , and the relative error expressed in percent, are show within each figure.

FIGURE 8. In the left figure shows the radially resolved diffuse reflectance of TEFLON computed with the Monte diffuse reflectance of TE-LON computed with the Montle Carlo model for the optical parameters shows inside the figure. Also, within this same figure shows the results from fitting the Farrell model to Monte Carlo data from the radial position r<sub>o</sub>, where the relative error of the Farrell model with respect to Monte Carlo data is closer to zero while achieving the monitor under othe didle disferee could be treezed

> Table 3. Extracted Optical Property (PO) from fitting the Farrell model to TEFLON experimental data in 10 measurement realized. This PO was extracted by two form: with each to value of the scaling factor (K), and with the mean scaling factor (KA). Fitting Errors for  $\mu_s'$  at two forms

K <sub>A</sub> = 20484	27.69	4.45	27.77	2.51
18822	25.67	9.42	28.16	0.64
20220	27.71	2.22	28.09	0.88
19289	26.53	6.39	28.56	0.78
21393	27.92	1.48	26.54	6.35
19884	26.97	4.83	27.98	1.2
20750	28.84	1.76	28.38	0.1
22711	30.91	9.07	27.17	4.1
21243	28.13	0.74	27.76	2.0
20932	26.96	4.87	26.27	7.30
19916	27.29	3.71	28.77	1.5
к	μ <sub>s</sub> ' (cm <sup>-1</sup> )	(%)	μ <sub>s</sub> '(cm <sup>-1</sup> )	(%)
Scaling Factor		Error	mean Scaling Factor K <sub>A</sub>	Erro
	Extracted OP		Extracted OP with the	

0 <sup>4</sup>	g = 0.7329 n = 1.40			0.05	; ;\$	Mean	Error = -0.3	3%		Mean Erro	x =2.5
	0 0.5 Badial	position r (cm)		-0.1	, m	0.5 1 r (orr	1.5	2	ó o	5 1 r (cm)	1.5
	10 <sup>2</sup> <sup>µ</sup> ' = <sup>µ</sup> <sub>st</sub> = 0,000	17.15 cm <sup>-1</sup>	Fameli-n: Fameli-n:	Pd0/(cm <sup>2</sup> )	10 <sup>2</sup> . µ µ	= 22.87 cm <sup>-1</sup> at = 0.45 cm <sup>-1</sup>		Fameli-¤=0 Fameli-¤=5	10 <sup>1</sup> .	μ' <sub>f</sub> = 28.59 cm <sup>-1</sup> μ <sub>eff</sub> = 0.50 cm <sup>-1</sup>	λ[

0.1 0.1

FIGURE 3. Difference between the reflectance curves Rd(r)+ and Rd(r)- with respect to Rd(r)0. The symbol +,-0 accompanying Rd(r) indicates the radially resolved reflectance recorded when the position of the phantom surface was incremented timm (denoted as h=+1mm) or ecremented 1mm (denoted as h=-1mm) ith respect to the reference plane h=0,

